

Prediction of water requirement for pea (*Pisum sativum*. L.) in mid-hill zone of Himachal Pradesh

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ABSTRACT

The water requirement of pea as predicted by Hargreaves equation is in close agreement (3.6 % deviation) with the actual water requirement, hence, the equation is the most suitable for predicting the water requirement of pea in mid hill zone of Himachal Pradesh.

Key words : Water Requirement and Pea.

INTRODUCTION

Knowledge of the water requirement of different crops is needed for scheduling of irrigations, in planning the farm irrigation systems, the design of irrigation projects and in resource development. The water requirement of a crop is the sum of crop evapotranspiration and percolation. Reference evapotranspiration approximates the evapotranspiration from tall cool season grass with adequate water supply to avoid moderately severe water stress and adequate fetch to minimize localized advection effects on evaporation. Actual evapotranspiration may be less than the potential evapotranspiration much of the time during the production of an agricultural crop. There are numerous approaches used to estimate evapotranspiration and potential evapotranspiration. Frequently used methods are mass transfer, energy budget, watershed water budget, soil water budget, ground water fluctuations and empirical formulae.

Various empirical methods have been developed by research workers considering various combinations of climatological parameters by correlating the data collected with actual evapotranspiration measured by lysimeters.

As the determination of water requirement of crops using lysimeter is laborious and quite expensive, efforts have been made to correlate the actual water requirements in the field with the agro meteorological data using different equations/methods for prediction of water requirement of crops (Doorenbos and Pruitt, 1997; Doss et al., 1962; Sharda and Bhushan, 1984; Chakraborty, 1985; Rao, 1985; Abdulmumin, 1988; Allen, 1993).

The present study had been undertaken to compute the evapotranspiration of commercially grown pea in the humid zone of the Himalayas for predicting the water requirement. The water requirement for pea was determined by multiplying the evapotranspiration calculated by each of the above methods by crop coefficients given by Doorenbos and Pruitt (1997). The potential evapotranspiration were computed using a computer programme written by Snyder and Pruitt (1992).

MATERIALS AND METHODS

The present study was conducted at the University of

Horticulture and Forestry, Solan, Himachal Pradesh, receiving an annual average rainfall of 1100 mm with 70 per cent during Monsoon period. The maximum temperature does not exceed 35°C in summer and the minimum recorded is as low as -2°C in the month of January. The evapotranspiration (ET) requirements of pea for the region have been calculated using ten different empirical equations (Snyder and Pruitt, 1992) based on the meteorological data of the two crop growing seasons (Table 1). The computed potential evapotranspiration (PET) are presented in Table 3 and the equations used are:

1. FAO Penman Method

$$ET_{FAO} = R_{df} + A_{df}$$

$$ET_{FAO} = \text{Potential Evapotranspiration, mmd}^{-1}$$

$$R_{df} = \text{Net Radiation term, mmd}^{-1}$$

$$R_{df} = \frac{\Delta}{\Delta + \chi} R_{nf}$$

$$\Delta = \text{Slope of saturation vapour pressure}$$

$$\chi = \text{Psychrometric constant}$$

$$R_{nf} = R_{ns} + R_L$$

$$R_{nf} = \text{Net Solar Radiation, mmd}^{-1}$$

$$R_L = \text{Net terrestrial radiation, mmd}^{-1}$$

$$A_{df} = \frac{\chi}{\Delta + \chi} (e_{am} - e_d)(6.61)(1 + 0.864 \sim)$$

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- A_{df} = Aerodynamic term, mmd^{-1}
 e_{am} = Saturation vapour pressure at mean air temperature
 e_d = Actual vapour pressure
 \sim = Wind speed at 2.0 m, ms^{-1}

2. Priestley/Taylor Method :

$$ET_{PT} = 1.26 \frac{\Delta}{\Delta + \chi} (R_{no} - G)$$

- ET_{PT} = Potential Evapotranspiration, mmd^{-1}

- R_{no} = Net Radiation, mmd^{-1}

$$R_{no} = R_{ns} + R_L$$

- G = Soil Air Flux, mmd^{-1}
 R_{ns} = Short wave Net Radiation, mmd^{-1}
 R_L = Net Terrestrial Radiation, mmd^{-1}

3. FAO Radiation Method :

$$ET_{FAORD} = B \frac{\Delta}{\Delta + \chi} \frac{R_s}{\chi} - 0.3$$

- ET_{FAORD} = Potential Evapotranspiration, mmd^{-1}

- B = Correction factor dependent on day time, wind speed and mean relative humidity

$$\chi = 2.45 \text{ mm/MJ m}^{-2} \text{ d}^{-1}$$

- R_s = Solar Radiation, $\text{MJ m}^{-2} \text{ d}^{-1}$

$$B = B_0 + B_1 H_m + B_2 U_d + B_3 H_m U_d + B_4 H_m^2 + B_5 U_d^2$$

Constants,

$$\begin{aligned} B_0 &= 1.066 & B_1 &= -0.0013 \\ B_2 &= 0.045 & B_3 &= -0.0002, \\ B_4 &= -0.0000315, & B_5 &= -0.0011 \end{aligned}$$

H_m = Mean Relative Humidity %

U_d = Day Time Wind Speed, ms^{-1}

4. FAO Blaney/Criddle Method :

$$ET_{FAOBC} = A + B(0.46T_m + 8.13)P$$

ET_{FAOBC} = Potential Evapotranspiration, mmd^{-1}

A = Constant dependent on relative humidity and sunshine hours

$$A = 0.0043 H_n - \frac{n}{N} - 1.41$$

H_n = Minimum relative humidity, %

$$\begin{aligned} B &= A_0 + A_1 H_n + A_2 \frac{n}{N} + A_3 (\ln(U_d + 1))^2 + \\ &A_4 H_n \frac{n}{N} + A_5 H_n U_d + A_6 \ln(U_d + 1) \ln\left(\frac{n}{N} + 1\right) \\ &+ A_7 \ln(U_d + 1) (\ln(H_n + 1))^2 \ln\left(\frac{n}{N} + 1\right) \end{aligned}$$

B = Constant dependent on relative humidity, sunshine hours and day Time wind speed

Constants,

T_m = Mean monthly air temperature, $^{\circ}\text{C}$

$$A_0 = 0.908, \quad A_1 = -0.00483$$

P = Monthly percentage of annual sunshine hours in the year

$$A_2 = 0.7949 \quad A_3 = 0.00768$$

$$A_4 = -0.0038 \quad A_5 = -0.000443$$

N = Monthly mean maximum sunshine hours

$$A_6 = 0.281 \quad A_7 = -0.00975$$

n = Actual sunshine hours

U_d = Day time wind speed, ms^{-1}

$$P = \frac{N_m}{N_a} \quad N_m = \text{Day time wind speed, } \text{ms}^{-1}$$

N_a = Monthly total max. sunshine hours

5. Jensen/Haise Method :

$$ET_{EJH} = \frac{0.87}{\left\} \right.} (C_T (T_m - T_{XJ}) R_s)$$

ET_{EJH} = Potential Evapotranspiration,
mmd⁻¹

C_T = Factor dependent on e_{a2} , e_{a1} and e_1

$$T_{XJ} = -2.5 - 1.4(e_{a2} - e_{a1}) - \frac{E_L}{550}$$

T_m = Mean air temperature, °C

E_L = Elevation, m

$$e_{a2} = 0.6108e^{\frac{17.27T_{\max}}{T_{\max} + 237.3}}$$

T_{\max} = Max. Air Temperature, °C

$$e_{a1} = 0.6108e^{\frac{17.27T_{\min}}{T_{\min} + 237.3}}$$

T_{\min} = Min. Air Temperature, °C

6. SCS Blaney/Criddle Method :

$$ET_{SCSBC} = \frac{25.4}{100} K_T K_C T_F P$$

ET_{SCSBC} = Potential Evapotranspiration,
mmd⁻¹

$$T_F = 1.8T_m + 32$$

K_T = Correction factor dependent upon
mean temperature

$$K_C = 1.0$$

T_F = Temperature in °F

$$K_T = 0.0173T_F - 0.314$$

P = Monthly percentage of annual
sunshine hours

7. Hargreaves Method :

$$ET_{HARG} = \frac{0.0023}{\left\} \right.} R_a \sqrt{T_d} (T_m + 17.8)$$

ET_{HARG} = Potential Evapotranspiration,
mmd⁻¹

$$T_m = \frac{T_x + T_n}{2}$$

R_a = Extra terrestrial radiation,
MJm⁻²d⁻¹

$$T_d = T_x - T_n$$

T_d = Mean temperature range by month

T_x = Max. Air Temperature, °C

T_n = Min. Air Temperature, °C

$\left\} \right.$ = Latent heat of evaporation 2.45
mm per, MJm⁻²d⁻¹

8. FAO Evaporation Pan Method :

$$ET_{CPAN} = E_P P_C$$

ET_{CPAN} = potential Evapotranspiration, mmd⁻¹

E_P = Measured evaporation from pan, mmd⁻¹

P_C = Pan Evaporation correction factor

W_R = Wind run, Kmd⁻¹

Variable limits for use in correcting pan evaporation
mean relative humidity (H_m , %)

$$30 \leq H_m \leq 84$$

F = Upward wind fetch, m
daily wind run (Km/d)

$$84 \leq W_{R \leq} 700$$

Upwind fetch^(m) of bare ground or low growing vegetation

$$1 \leq |F| \leq 1000$$

Pan evaporation correction when surrounded by vegetation
(When F>0)

$$P_C = 0.108 - 0.000331W_R + 0.0422 \ln(F) + 0.1434 \ln(H_m) - 0.000631(\ln(F))^2 \ln(H_m)$$

Pan evaporation correction when surrounded by bare soil (When $F < 0$)

$$P_C = 0.61 + 0.00341H_m - 1.87 \times 10^{-6}W_R H_m - 1.11 \times 10^{-7}W_R F + 3.78 \times 10^{-5}W_R \ln(F) - 3.32 \times 10^{-5}W_R \ln(W_R) - 0.0106 \ln(W_R) \ln(F) + 0.00063(\ln(F))^2 \ln(W_R)$$

9. Penman/Monteith FAO Method :

$$ET_{PENM} = R_{dp} + A_{dp}$$

ET_{PENM} = Potential Evapotranspiration, mmd^{-1}

$$R_{dp} = \frac{\Delta}{\Delta + \chi} (R_{np} - G)$$

R_{dp} = Radiation term, mmd^{-1}

A_{dp} = Aerodynamic term, mmd^{-1}

$$R_{np} = R_{ns} + R_L$$

R_{np} = Net radiation, mmd^{-1}

$$R_{ns} = 0.77 \frac{R_s}{\}$$

G = Soil heat flux, mmd^{-1}

R_{ns} = Shortwave net solar radiation, mmd^{-1}

?

$$A_d = \frac{\frac{\chi}{\Delta + \chi} (e_{ap} - e_{dp})(900)^{-2}}{T_m + 275}$$

R_L = Longwave net radiation, mmd^{-1}

χ = Psychrometric constant

$$e_{ap} = \frac{e_{ax} + e_{an}}{2}$$

χ^* = Modified psychrometric constant

$$e_{dp} = \frac{e_{ax} \frac{H_n}{100} e_{an} \frac{H_x}{100}}{2}$$

e_{ap} = Mean daily saturation vapour pressure

$$e_{ax} = 0.6108 e^{\frac{17.27T_{max}}{T_{max} + 237.3}}$$

e_{dp} = Mean saturation vapour pressure at dew point temperature

$$e_{an} = 0.6108 e^{\frac{17.27T_{min}}{T_{min} + 237.3}}$$

T_m = Mean temperature range by month

10. Original Penman Method :

$$ET_{EPEN} = R_{do} + A_{do}$$

ET_{EPEN} = Potential Evapotranspiration, mmd^{-1}

$$R_{do} = \frac{\Delta}{\Delta + \chi} (R_{no} - G)$$

R_{do} = Radiation term, mmd^{-1}

A_{do} = Aerodynamic term, mmd^{-1}

R_{no} = Net radiation, mmd^{-1}

$$R_L = \left(\frac{-\dagger T_k^4}{\} \right) \left(0.9 \frac{n}{N} + 0.1 \right) (0.34 - 0.14 \sqrt{e_d})$$

G = Soil heat flux, mmd^{-1}

$$R_{ns} = 0.77 \frac{R_s}{\}$$

$\}$ = Latent heat of vaporization

e_{an} = Saturation vapour pressure at mean temperature

$$A_{do} = \frac{\frac{\chi}{\Delta + \chi} (e_{am} - e_d)(6.43)(1 + 0.536^{-2})}{\}$$

e_d = Actual vapour pressure using mean temperature and humidity

Table 1 : Climatic data of the experimental site (Nauni, Solan)

| Month | Sunshine | Max | Min | Max Hum | Min Hum | Wind | D/N | Evap Pan |
|-------|----------|------|------|---------|---------|------|------|----------|
| | Hrs | Temp | Temp | % | % | Run* | Wind | Mm/d |
| | Hrs | °C | °C | | | Km/d | | |
| Oct | 9.3 | 25.7 | 10.3 | 72.2 | 39.4 | 5.27 | 1.1 | 3.2 |
| Nov | 7.9 | 21.9 | 6.0 | 73.8 | 41.0 | 5.38 | 1.1 | 2.5 |
| Dec | 6.6 | 18.4 | 3.4 | 71.2 | 41.5 | 5.39 | 1.0 | 1.9 |
| Jan | 6.6 | 17.3 | 3.0 | 70.2 | 42.1 | 120. | 1.1 | 1.5 |
| Feb | 6.3 | 16.9 | 4.2 | 74.2 | 42.8 | 6.10 | 1.1 | 2.5 |
| Mar | 6.5 | 20.6 | 7.4 | 68.5 | 41.8 | 6.69 | 1.1 | 3.2 |
| Apr | 8.6 | 25.9 | 11.3 | 52.4 | 41.3 | 6.75 | 1.3 | 4.9 |

D/N – Ratio of Day and night wind speed

Km/d – Kilometers per day

* - Total distance traveled by air in one day (Average wind speed per day)

The water requirement of pea has been determined by conducting field experiments at the departmental farm for two years. The irrigation treatments selected for determination of water requirement of pea were based on irrigation water (IW) and cumulative pan evaporation (CPE) ratios.

The water requirement of pea, thus, observed was 54.8 cm (Table 2).

values determined by Penman-Monteith FAO method, Original Penman, Corrected FAO Penman, Priestley/Taylor, FAO radiation and Jensen/Haise methods are considerably higher than those estimated by FAO Blaney/Criddle method, SCS Blaney/Criddle method, Hargreaves method and FAO Pan methods.

In the absence of solar radiation data, the solar

Table 2 : Field water requirement (mm) and yield (q/ha) of Pea

| Year | Rainfall during the crop season (mm) | | Depth of water applied (mm) | Av. Water requirement (mm) | Av. Yield (q/ha) | |
|-----------|--------------------------------------|------------|-----------------------------|----------------------------|------------------|------------|
| | Total | Effective* | | | Green Pod Yield | Seed Yield |
| Ist Year | 625 | 438 | 120 | 548 | 113.5 | 19.5 |
| IInd Year | 597 | 418 | 120 | | | |

*Effective rainfall was computed using balance sheet method

RESULTS AND DISCUSSION

The monthly reference/potential evapotranspiration (PET) values estimated by various methods have been presented in Table 3. The monthly as well as annual PET

radiation values used in Penman type equations, Priestley/Taylor and FAO radiation methods were estimated using sunshine hours which is a ratio of actual monthly mean sunshine hours and monthly mean maximum sunshine

Table 3 : Potential evapotranspiration rates (mm/day) of the experimental site

| Month | EPEN | PENM | CFAO | EPT | EJH | FAORD | FAOBC | SCSBC | HARG | CPAN |
|-------|-------|-------|-------|-------|-------|-------|-------|-------|------|------|
| Oct | 9.57 | 8.49 | 10.45 | 10.26 | 8.77 | 11.70 | 3.80 | 3.38 | 3.67 | 2.49 |
| Nov | 6.60 | 5.85 | 7.32 | 6.82 | 5.59 | 7.99 | 2.56 | 2.33 | 2.64 | 1.96 |
| Dec | 5.02 | 4.40 | 5.52 | 4.96 | 3.86 | 5.94 | 1.79 | 1.73 | 2.01 | 1.49 |
| Jan | 5.20 | 4.51 | 5.73 | 5.24 | 3.92 | 6.18 | 1.74 | 1.65 | 2.05 | 1.18 |
| Feb | 6.36 | 5.39 | 7.05 | 6.58 | 4.68 | 7.36 | 2.04 | 1.84 | 2.43 | 1.94 |
| Mar | 8.49 | 7.19 | 9.20 | 8.82 | 6.64 | 9.87 | 2.91 | 2.64 | 3.41 | 2.43 |
| Apr | 12.19 | 10.43 | 12.51 | 12.73 | 10.54 | 15.02 | 4.49 | 3.96 | 4.80 | 3.60 |

EPEN – Original Penman

EPT - Priestley/Taylor

FAOBC – FAO Blaney/Criddle

HARG - Hargreaves

PENM – Penman/Monteith

EJH - Jensen/Haise

SCSBC – SCS Blaney/Criddle, kc = 1.0

CPAN - FAO ETo- Pan Method

CFAO – Corrected FAO Penman

FAORD- FAO radiation

hours. The monthly mean maximum sunshine hours have been determined from the sun rise hour angle. The experimental farm is surrounded by hills but the Eastern and North-Eastern hills are comparatively of higher altitudes. So, the actual monthly mean maximum sunshine hours are lower than those determined by using sunrise hour angle due to shading by hills at sunrise. Thus, the PET estimated by the above referred methods is bound to be higher than the actual and the latter is realistic for a flat topography only.

In FAO Blaney/Criddle method, the ratio of actual monthly mean sunshine hours and the monthly mean maximum sunshine hours is used as a natural logarithm and its effect is marginally on higher side in estimating the PET values. That is why PET estimated by this method are, comparatively, much lower. In the remaining three methods, viz. SCS Blaney/Criddle method, Hargreaves and FAO Pan method, the solar radiation parameter is not required; hence, they estimated lower PET values.

The predicted water requirement for pea estimated by different methods using crop coefficients given in Table 4 (Doorenbos and Pruitt, 1977) are presented in Table 6 and the actual water requirement for pea was observed to be 548 mm (Table 2). The deviation of water requirement of pea estimated by Hargreaves method from that of actual requirement was negligible and minimum i.e. -19.9 mm. Thus, we can use Hargreaves method for estimating the water requirement of pea with precision using meteorological data.

The suitability of other PET equations decrease in the order of FAO Blaney/Criddle and FAO Pan equations with deviations of -77.2 mm, -117.6 mm and -165.0 mm, respectively, estimating lower water requirements than the actual. All other methods/equations in which radiation parameter is involved show deviations towards the higher side i.e. predicting high water requirement than the actual and, hence, are not suitable for mid hill zone of Himachal Pradesh.

Table 4 : Month wise crop coefficient for pea

| Month | October | November | December | January | February | March | April |
|------------------|---------|----------|----------|---------|----------|-------|-------|
| Crop Coefficient | 0.85 | 0.85 | 0.89 | 1.10 | 1.10 | 1.08 | 1.00 |

Table 5 : Reference evapotranspiration for pea (mm/month)

| Month | EPEN | PENM | CFAO | EPT | EJH | FAORD | FAOBC | SCSBC | HARG | CPAN |
|-------|------|------|------|-----|-----|-------|-------|-------|------|------|
| Nov | 198 | 175 | 220 | 205 | 168 | 240 | 77 | 70 | 79 | 60 |
| Dec | 156 | 136 | 171 | 154 | 120 | 184 | 55 | 54 | 62 | 46 |
| Jan | 161 | 140 | 178 | 162 | 122 | 192 | 54 | 51 | 64 | 37 |
| Feb | 178 | 151 | 197 | 184 | 131 | 206 | 57 | 52 | 68 | 54 |
| Mar | 263 | 223 | 285 | 373 | 206 | 306 | 90 | 82 | 106 | 75 |
| Apr | 366 | 313 | 375 | 382 | 316 | 451 | 135 | 119 | 144 | 108 |

Table 6 : Estimated water requirement for pea (mm/month)

| Month | EPEN | PENM | CFAO | EPT | EJH | FAORD | FAOBC | SCSBC | HARG | CPAN |
|-----------------------------|--------|---------|---------|---------|---------|---------|--------|--------|--------|--------|
| Nov | 168.30 | 1480.70 | 187.00 | 174.20 | 142.80 | 204.00 | 65.60 | 54.50 | 67.20 | 51.00 |
| Dec | 168.80 | 121.00 | 152.20 | 137.10 | 106.80 | 163.70 | 49.00 | 48.10 | 55.20 | 40.90 |
| Jan | 177.10 | 154.00 | 195.80 | 178.20 | 134.20 | 211.20 | 59.40 | 56.10 | 70.40 | 40.70 |
| Feb | 195.80 | 166.10 | 216.70 | 202.40 | 144.10 | 226.60 | 62.70 | 57.20 | 74.80 | 59.40 |
| Mar | 284.00 | 240.80 | 307.80 | 402.80 | 225.50 | 330.50 | 97.20 | 88.50 | 114.50 | 81.00 |
| Apr | 366.00 | 313.00 | 375.00 | 382.00 | 316.00 | 451.00 | 135.00 | 119.00 | 144.00 | 108.00 |
| Estimated water requirement | 1330 | 1143.60 | 1434.50 | 1476.70 | 1066.40 | 1587.00 | 468.80 | 428.40 | 526.10 | 381.00 |

Table 7 : Deviation of the estimated water requirement by different equations from field experimental values (mm)

| Crop | EPEN | PENM | CFAO | EPT | EJH | FAORD | FAOBC | SCSBC | HARG | CPAN |
|------|--------|--------|--------|--------|--------|---------|--------|---------|--------|---------|
| Pea | 782.00 | 595.60 | 886.50 | 928.70 | 518.40 | 1039.00 | -77.20 | -117.60 | -19.90 | -165.00 |

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